

# Climate, Weather and Water Science

**Matt Newman**



**Diagnosing Time Scales of Atmospheric Moisture Transport**



# How does atmospheric variability on different time scales affect moisture transport?

- Synoptic scale
  - Extreme precipitation events (atmospheric rivers)
- Short-term climate
  - Droughts
- Long-term trends in hydrological cycle
  - Interaction with secular trends in tropical SST (e.g., Compo and Sardeshmukh 2009)



# Atmospheric Moisture Budget

$$\frac{\partial w}{\partial t} + \nabla \cdot \mathbf{Q} = E - P$$

$w$  = precipitable water ( $\langle q \rangle$ )

$\mathbf{Q}$  = vertically integrated moisture flux =  $\langle \mathbf{v}q \rangle$

$\langle \rangle$  = mass-weighted vertical integral

$q$  = specific humidity

$E$  = surface evapotranspiration

$P$  = precipitation



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To explore moisture transport by different time scales, define

$$x = \bar{x} + x^l + x^h$$

total = longterm mean (1968-2007) + climate anomaly (periods > 10 days) + synoptic anomaly (periods < 10 days)

Since  $\partial \bar{w} / \partial t = 0$ , the **mean moisture budget** is a balance between moisture flux divergence and the water source/sink:

$$\nabla \cdot \bar{\mathbf{Q}} = (\bar{E} - \bar{P})$$

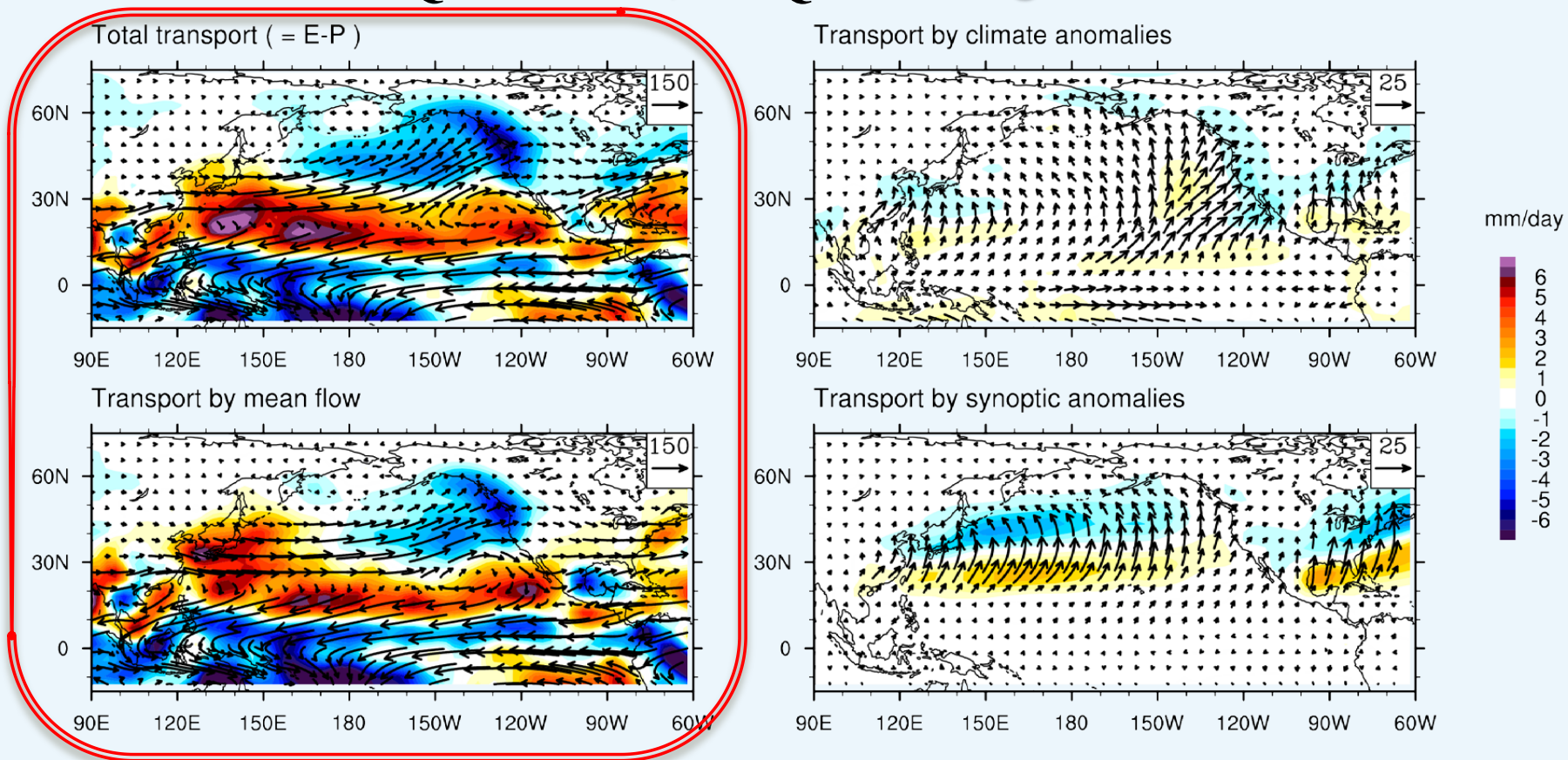
where

$$\bar{\mathbf{Q}} = \bar{\mathbf{v}}\bar{q} + \bar{\mathbf{v}}^l \bar{q}^l + \bar{\mathbf{v}}^h \bar{q}^h$$



# Wintertime Moisture Transport (1968-2007)

$\bar{\mathbf{Q}}$  = vectors;  $\nabla \cdot \bar{\mathbf{Q}}$  = shading



**Mean moisture transport is mostly due to transport by the mean flow (flux in left panels is 6x right panels)**

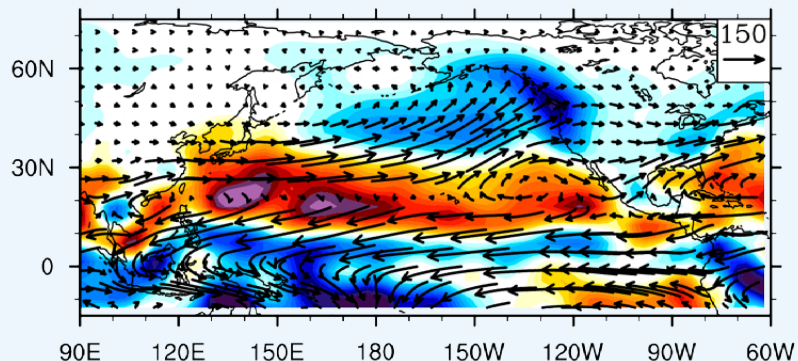




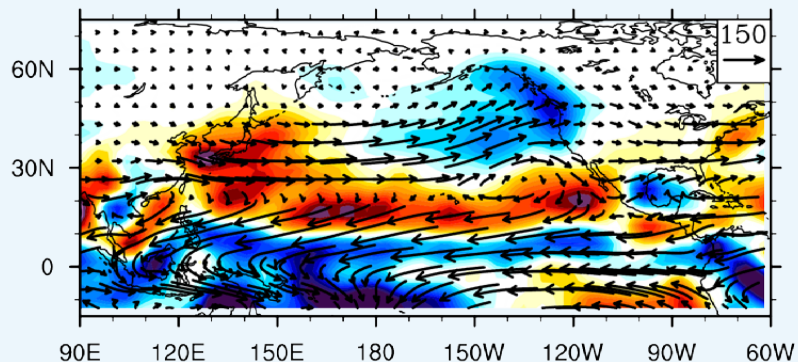
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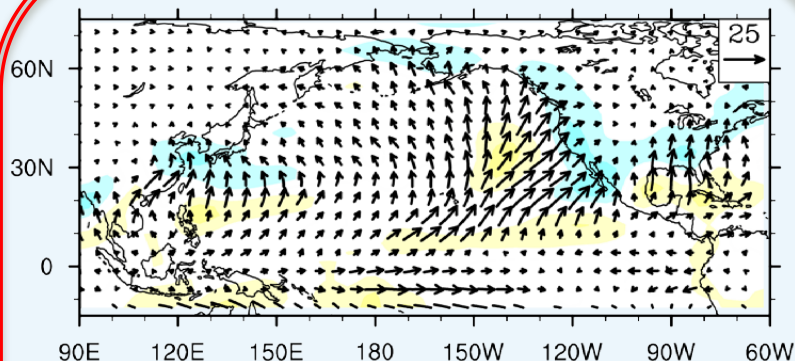
Total transport ( = E-P )



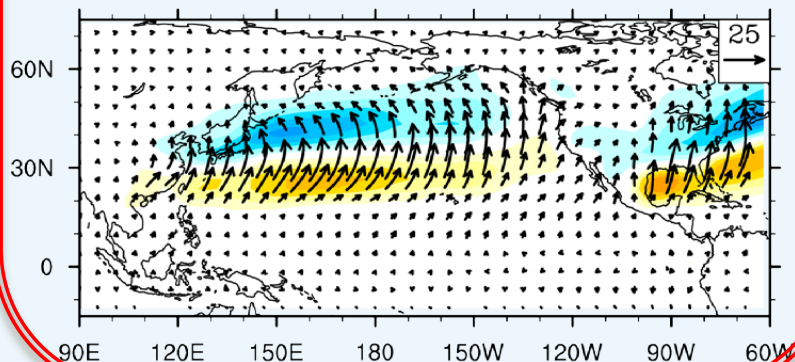
Transport by mean flow



Transport by climate anomalies



Transport by synoptic anomalies



Transport by synoptic anomalies is generally greater than transport by climate anomalies, except along west coast



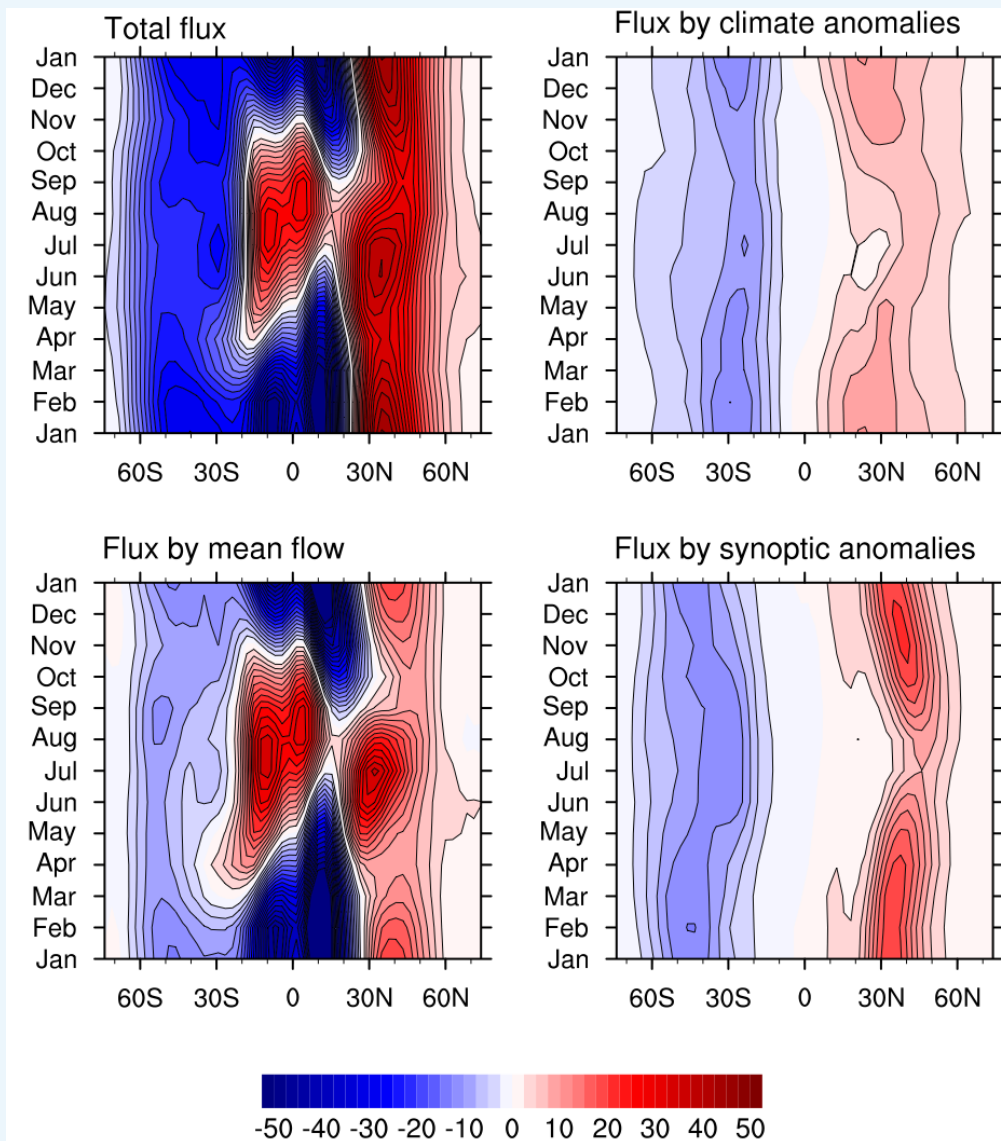
# Seasonal cycle of meridional moisture transport averaged in the Pacific sector (120E-120W)

## Tropics and subtropics:

Meridional moisture flux dominated by transport by mean flow

## Midlatitudes:

Meridional flux by synoptic anomalies equivalent to (or greater than) meridional flux by mean flow!

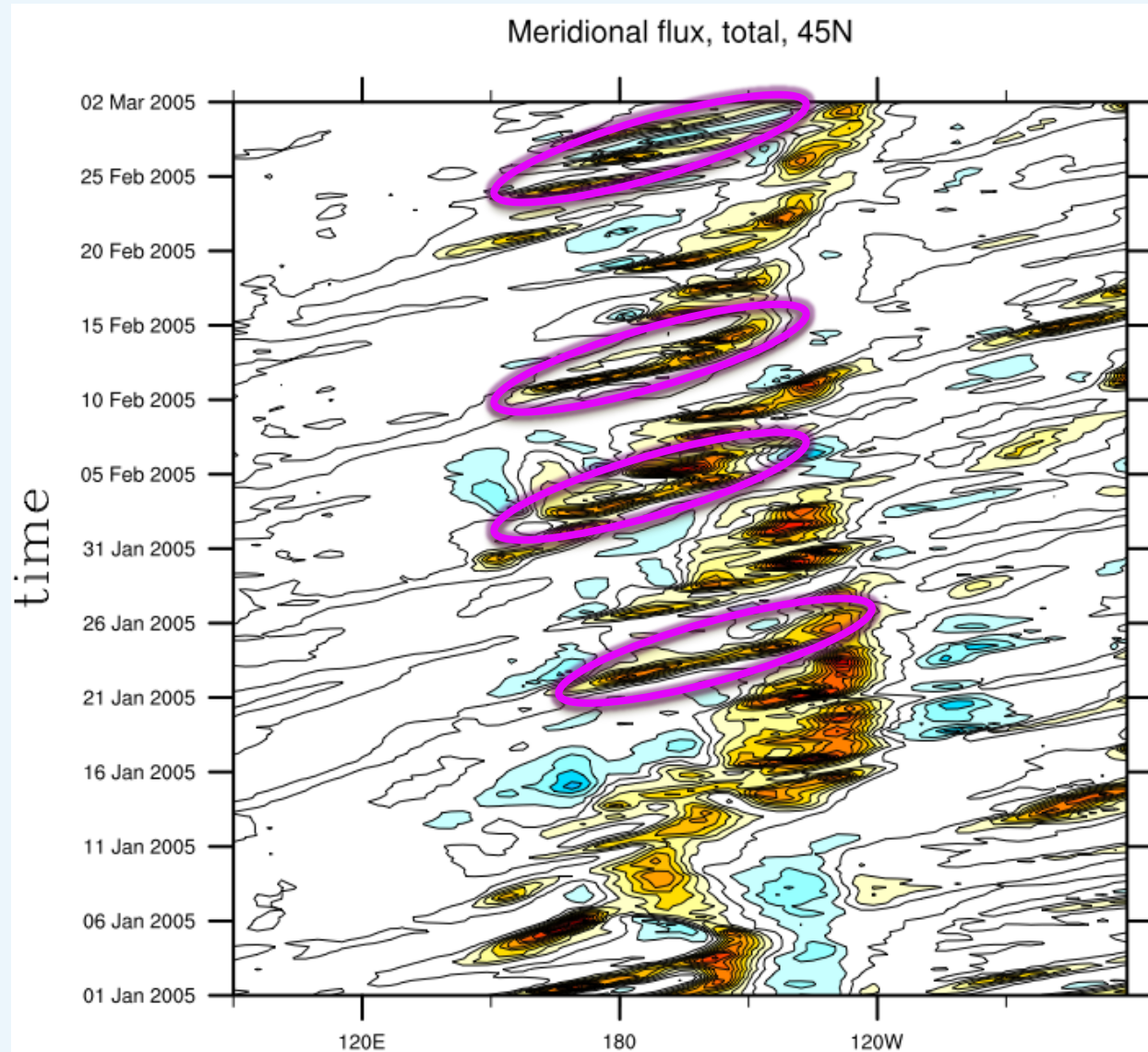




# Meridional moisture transport by synoptic anomalies is important

Note that over this 2-month period (JF 2005), most flux occurs in fairly narrow meridional bands, termed **atmospheric rivers**.

**This is a general result.**



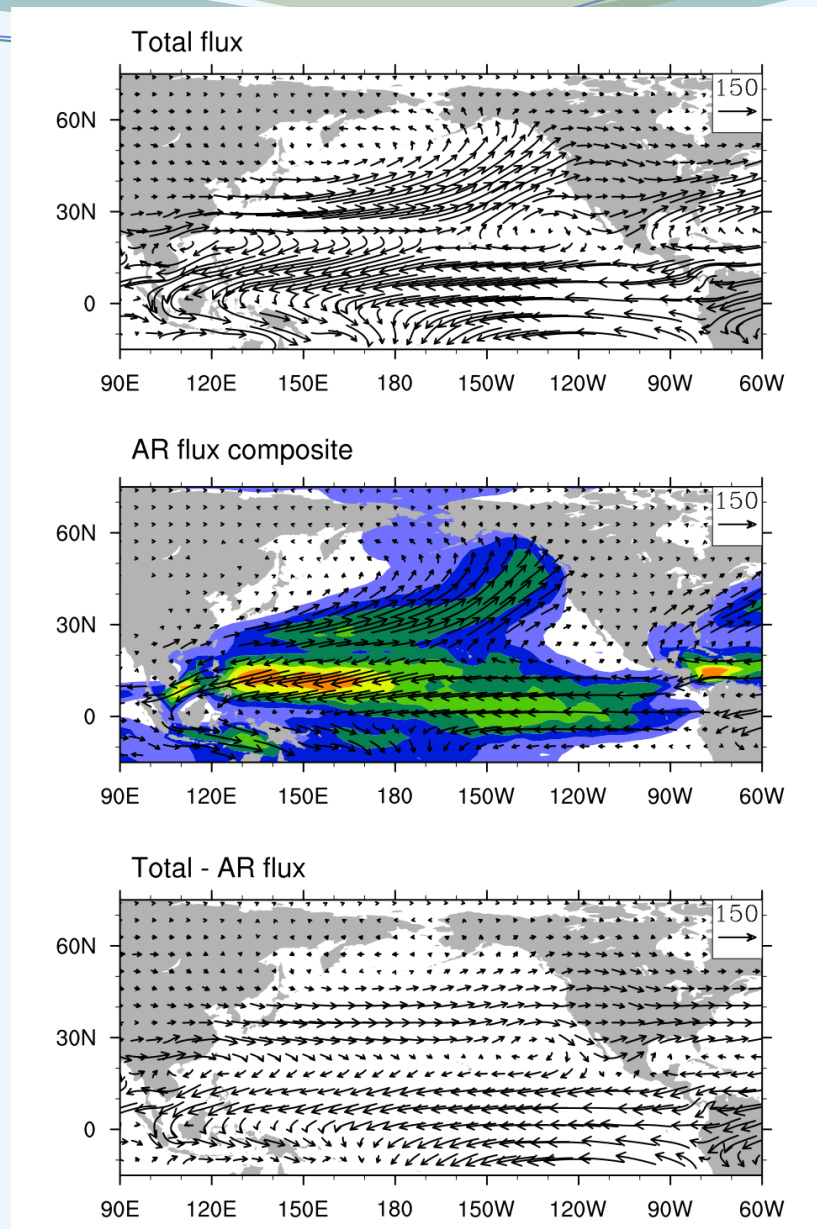




# Moisture transport is dominated by atmospheric river conditions

**Total moisture flux compared to moisture flux composited by atmospheric river criterion**

Shading in middle panel indicates the frequency of occurrence of atmospheric river conditions (green > 30%)





# Conclusions

- Mean moisture budget is primarily a balance between moisture transport by the mean flow and mean moisture source/sinks
- However, synoptic variability drives about half of the *extratropical meridional* mean moisture transport
  - Transport is focused within “atmospheric rivers”
- This approach also useful for moisture budgets of synoptic and climate variability, including trend
  - In particular, do other reanalyses (ERA40, MERRA, CFSRR) and climate models look like this?